## Status of the MUonE experiment

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## <sup>2</sup> Abstract

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The latest measurement of the muon g-2, recently announced at Fermilab, exhibits a 3 4.2 $\sigma$  discrepancy from the Standard Model prediction. The hadronic contribution  $a_{\mu}^{HLO}$ 4 represents the main source of uncertainty on the theoretical prediction. The MUonE 5 experiment proposes a novel approach to determine  $a_{\mu}^{HLO}$  by measuring the effective 6 electromagnetic coupling in the space-like region, via  $\mu - e$  elastic scattering. The mea-7 surement is performed by scattering a 160 GeV muon beam, available at CERN, on atomic 8 electrons of a low-Z target. A Test Run on a reduced detector is planned in 2022, to val-9 idate this proposal. The status of the experiment in view of the Test Run is presented. 10 11

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# <sup>21</sup> 1 Introduction

The muon magnetic anomaly is defined as  $a_{\mu} = (g_{\mu} - 2)/2$ , where  $g_{\mu}$  is the gyromagnetic ratio. It is a low energy observable which can be both computed and measured with very high precision, and can be used as a stringent test of the Standard Model. Recently, the E989 Muon g-2 Collaboration at Fermilab announced its first result for  $a_{\mu}$  [1], which is in excellent agreement with the previous measurement performed by the BNL E821 experiment [2]. The

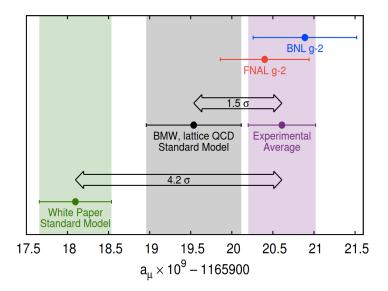


Figure 1: From the top to the bottom: experimental values of  $a_{\mu}$  measured by BNL E821 [2], Fermilab E989 [1] and their combined average. Standard Model evaluation of BMW Collaboration using lattice QCD [6] is also shown, as well as the value recommended by the Muon g-2 Theory Initiative [3].

 $_{27}$  combination of the two experimental values leads to a 4.2 $\sigma$  discrepancy with the Standard

<sup>28</sup> Model prediction currently recommended by the Muon g-2 Theory Initiative [3]. Figure 1 rep-

<sup>29</sup> resents the current scenario.

<sup>30</sup> In the next years, the accuracy on  $a_{\mu}$  will be improved by a factor of 4 by the E989 experi-<sup>31</sup>ment, reaching the remarkable accuracy of 0.14 ppm [4]. Moreover, a new technique will be <sup>32</sup>exploited at J-PARC to measure  $a_{\mu}$  in an independent way [5]. Therefore, an improvement is <sup>33</sup>also required on the theoretical prediction, as its uncertainty can become the main limitation <sup>54</sup>for a test of the Step deed Model

<sup>34</sup> for a test of the Standard Model.

The accuracy on the Standard Model calculation is limited by the evaluation of the leading order hadronic contribution  $a_{\mu}^{HLO}$ , which cannot be computed perturbatively at low energies. For this reason,  $a_{\mu}^{HLO}$  is traditionally determined by means of a dispersion integral on the annihilation cross section  $e^+e^- \rightarrow$  hadrons, which is densely populated by resonances and influenced by flavour threshold effects. These aspects limit the final precision achievable by this method. Despite these difficulties, the calculation of  $a_{\mu}^{HLO}$  reached an accuracy of ~ 0.6% [3]. In addition to this, a recent evaluation of  $a_{\mu}^{HLO}$  based on lattice QCD calculation reached for the first time an accuracy comparable to the dispersive approach [6]. However, there is a tension

<sup>43</sup> between these two theoretical evaluations. The lattice QCD value weakens the discrepancy <sup>44</sup> between theory and experiment to  $1.5\sigma$ , as shown in Figure 1. An independent crosscheck of

 $a_{\mu}^{HLO}$  is then required to solve this tension and consolidate the theoretical prediction.

<sup>46</sup> MUonE proposes an innovative method to measure  $a_{\mu}^{HLO}$ . It based on the direct measurement

<sup>47</sup> of the hadronic contribution to the running of the electromagnetic coupling constant ( $\Delta \alpha_{had}$ ) <sup>48</sup> in the space-like region [7]. The following equation will be used to calculate  $a_{\mu}^{HLO}$ :

$$a_{\mu}^{HLO} = \frac{\alpha_0}{\pi} \int_0^1 dx (1-x) \Delta \alpha_{had}[t(x)]$$
(1)

<sup>49</sup> Here,  $\alpha_0$  is the fine structure constant, and the integration variable *x* is related to the space-like <sup>50</sup> momentum transfer *t* through the formula

$$t(x) = \frac{x^2 m_{\mu}^2}{x - 1} < 0 \tag{2}$$

where  $m_{\mu}$  is the muon mass.

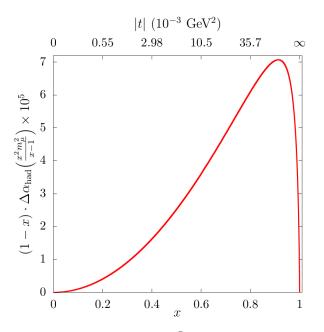


Figure 2: Integrand  $(1-x)\Delta \alpha_{had}[t(x)] \times 10^5$  as a function of x and t (upper scale) [8].

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<sup>52</sup> Figure 2 shows the integrand function of the master integral in Eq. 1. The peak of the integrand

occurs at  $x_{peak} \simeq 0.914$ , which corresponds to a momentum transfer  $t_{peak} \simeq -0.108 \,\text{GeV}^2$ . Here,  $\Delta \alpha_{had}(t_{peak}) \simeq 7.86 \times 10^{-4}$ .

The main advantage of this method is that  $\Delta \alpha_{had}$  is a smooth function for negative momentum 55 transfer, in contrast with the time-like  $e^+e^-$  data used in the traditional dispersive approach. A 56 further advantage is that the electromagnetic running in the region of interest for the evalua-57 tion of  $a_{\mu}^{HLO}$  can be measured by a single scattering experiment. For this reason, the space-like 58 approach is not affected by the systematic uncertainties due to handling data from different 59 experiments, which instead are relevant for the time-like dispersive method. Therefore, the 60 method proposed by MUonE allows a completely independent estimation of  $a_{\mu}^{HLO}$ , which can 61 be compared with time-like and lattice QCD results towards a firmer prediction of  $a_{\mu}$ . 62

### <sup>63</sup> 2 The MUonE experimental proposal

The MUonE experiment aims to extract  $\Delta a_{had}(t)$  from a precise measurement of the shape 64 of the differential cross section of the  $\mu^+e^- \rightarrow \mu^+e^-$  elastic scattering [8]. It is performed 65 by scattering a high energy muon beam on the atomic electrons of a low-Z target. A 160 66 GeV muon beam, currently available at CERN M2 beamline, allows to cover the momentum 67 transfer region  $-0.153 \,\text{GeV}^2 < t < 0 \,\text{GeV}^2$ , which is equivalent to 0 < x < 0.932. This 68 corresponds to  $\sim 87\%$  of the master integral in Eq. 1. The remaining fraction can be computed 69 by extrapolating  $\Delta \alpha_{had}(t)$  with an appropriate parameterization [9]. Furthermore, the simple 70 kinematics of the two-body elastic process makes the scattering angles of the electron and 71

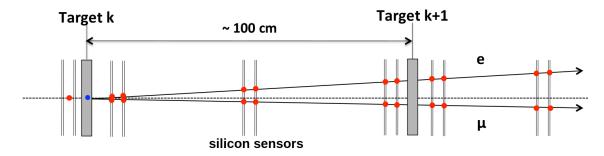


Figure 3: Sketch of a single station (image not to scale).

<sup>72</sup> muon correlated. This constraint allows to select elastic events and reject background, which <sup>73</sup> is expected to be mainly due to  $e^+e^-$  pair production by muons in the target. The elastic <sup>74</sup> scattering kinematics is highly boosted in the forward direction in the laboratory frame, due <sup>75</sup> to the high energy muon beam employed. This allows to use a single detector to cover the <sup>76</sup> full acceptance, since the elastic events which are interesting for the experiment are contained <sup>77</sup> within ~ 32 mrad for the electron and within ~ 5 mrad for the muon.

The experimental apparatus consists of a repetition of 40 identical stations. A sketch of a 78 single station is shown in Figure 3. It is composed of a 15 mm thick Beryllium target followed 79 by a tracking system with a lever arm of  $\sim 1$  m, which is used to measure the scattering angles 80 with high precision. The tracking system is composed of 3 pairs of Silicon strip detectors. 81 Each pair measures both X and Y transverse coordinates, thus strips of the second detector 82 are orthogonal to the first ones. An electromagnetic calorimeter is placed downstream all the 83 stations, in order to provide  $e/\mu$  particle identification in the low angles region. The apparatus 84 will be also equipped with a muon filter, placed downstream the calorimeter. 85 The modular structure of MUonE allows to re-use the incoming muon beam for each station, 86 which acts as an independent unit. In this way,  $\mu - e$  elastic events will be distributed along 87 the entire apparatus, increasing the collected statistics but minimizing at the same time the 88

thickness of a single Beryllium target. This helps to keep under control multiple scattering effects, which break  $\mu - e$  angular correlation.

Given the total target thickness of 60 cm and the average intensity of  $\sim 1.3 \times 10^7 \mu/s$  of the CERN M2 beamline, MUonE can reach an integrated luminosity of about  $1.5 \times 10^7 nb^{-1}$  in 3 years of data taking. This is equivalent to collect  $\sim 4 \times 10^{12}$  elastic events with electron energy > 1 GeV, and allows to achieve a statistical error of  $\sim 0.3\%$  on  $a_{\mu}^{HLO}$ . This makes the measurement of MUonE competitive with the time-like evaluation.

The main challenge of the experiment is to keep the systematic error at the same level of the 96 statistical one. This is equivalent to measure the shape of the differential cross section with a 97 systematic accuracy of  $\mathcal{O}(10\,\mathrm{ppm})$  at the peak of the integrand function [8]. The most relevant 98 sources of systematic uncertainties are the longitudinal alignment of a station, which must be 99 controlled at the level of  $10 \mu m$ , the knowledge of the average beam energy, which needs to 100 be determined with a precision of few MeV [9], and multiple scattering effects. Preliminary 101 analyses indicate that these effects can be controlled at the required values. Results from a Test 102 Beam performed at CERN with 12-20 GeV electrons on 8-20 mm C targets show a satisfactory 103 agreement between data and GEANT4 simulation [10]. 104

#### **105 2.1 Theoretical progress**

On the theoretical side, the development of high precision Monte Carlo tools is needed, since the differential cross section must be calculated up to the NNLO to meet the requirement of  $\mathcal{O}(10 \text{ ppm})$  systematic uncertainty. Presently, the full set of NLO QED and electroweak corrections is completed, and a fully exclusive Monte Carlo generator is available [11]. The NNLO hadronic corrections have been computed in [12, 13]. The full set of QED NNLO corrections is still not yet available, although several important steps have been carried out [14–17]. Two independent Monte Carlo codes with full NNLO corrections are being developed [18, 19]. Reference [20] gives a state of art review of the theoretical progress in MUonE. Possible new physics effects in  $\mu - e$  elastic scattering have been investigated in [21, 22], and are expected to lie below MUonE sensitivity.

# <sup>116</sup> 3 Test Run 2021-2022

A Letter of Intent has been submitted to the CERN SPS Committee in 2019 [9], obtaining positive recommendations. A Test Run of 3 weeks has been approved to validate the experimental proposal. Due to Covid-19, it has been delayed to 2022. A parasitic run with four Silicon detectors has been performed at the M2 beamline from 25th October to 15th November 2021. The Test Run detector will be composed of two full MUonE stations followed by an electromagnetic calorimeter. A further tracking station without target will be placed upstream the apparatus, to detect the incoming muons.

The basic tracking unit has been chosen to be the 2S modules developed for the CMS Outer 124 Tracker upgrade [23]. Figure 4 shows a schematic view of a 2S module. Each module is 125 composed of 2 close-by Silicon strip sensors with the same dimension and strip orientation, 126 thus reading the same coordinate. Each sensor is  $320\,\mu m$  thick, with an area of approximately 127  $10 \times 10 \,\mathrm{cm}^2$ . Therefore, a single module allows to cover the full angular acceptance, ensuring 128 a uniform responce over all the scattering angles. The two sensors composing a module are 129 mounted on the same mechanical structure, and are read out by the same front-end electron-130 ics, which compares signals from the two sensors to find correlated hits. This feature can be 131 exploited to reject large angle tracks and suppress background from single sensor hits. The 132 read-out rate at 40 MHz is capable to sustain the M2 beamline in-spill rate (50 MHz) mini-133 mizing the pileup. 2S modules have a single hit resolution of  $\sim 20\,\mu\text{m}$ , which can be further 134 improved by rotating a module around the strip orientation. Simulation studies show that a 135 tilt of 233 mrad ( $\sim 14^{\circ}$ ) improves the single hit resolution to  $\sim 10 \,\mu m$  keeping a high detection 136 efficiency.

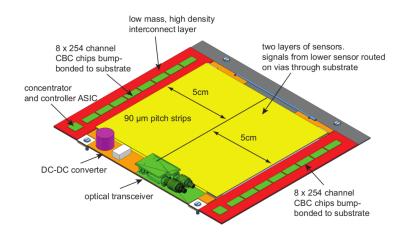


Figure 4: Schematic representation of a 2S module [9].

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The current setup of a MUonE station is represented in Figure 5. First and third pair of 2S modules are tilted to implement the single hit resolution improvement, while the second pair is rotated by 45° around the beam axis, in order to solve reconstruction ambiguities. The mechanical structure is made of Invar. It is a Fe-Ni alloy which has a low coefficient of thermal

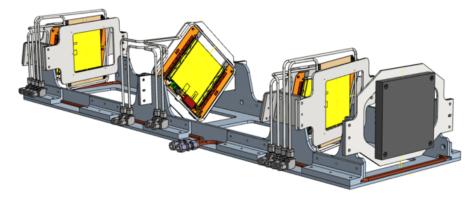


Figure 5: CAD drawing of a MUonE station.

expansion ( $\sim 1.2 \times 10^{-6} \text{ K}^{-1}$ ), in order to meet the stringent request of  $10 \,\mu\text{m}$  on the stability of the longitudinal size. For this purpose, an enclosure and a cooling system have been also designed to keep the temperature of the station constant within 1 °C.

Presently, an aluminum mockup has been manifactured to test the mechanical structure pla-145 narity and the correct integration of the 2S modules. Stepper motors are used to align the sta-146 tion with the muon beam. They have been succesfully tested in the parasitic run of Fall 2021. 147 The electromagnetic calorimeter used in the Test Run is composed of a matrix of  $5 \times 5$ 148 PbWO<sub>4</sub> crystals. The total area of  $14 \times 14 \text{ cm}^2$  allows to cover the full acceptance for the 149 scattering events from the two MUonE stations. Each crystal has a section of 2.85 imes 2.85 cm $^2$ 150 and a length of 22 cm (~  $25X_0$ ), and will be read-out by APD sensors. Tests on sensors and 151 crystal response are currently ongoing. 152

The Test Run will be mainly aimed at monitoring the mechanical and thermal stability of the apparatus, as well as confirming the validity of the system engineering. It will be crucial to test the alignment procedures and check the front-end electronics and the DAQ system. Data streams from the 2S modules and the calorimeter will be processed by a single Serenity board [24]. No event selection will be applied during the Test Run. All the information will be then used to elaborate online selection algorithms to be implemented in the Full Run with 40 stations.

Assuming to accomplish these primary goals in the first two weeks of running, the remain-160 ing days could be exploited to collect  $\sim 5 \,\mathrm{pb}^{-1}$  of good quality data, corresponding to  $\sim 10^9$ 161 elastic events with electron energy > 1 GeV. Such a data sample will allow to measure the 162 leptonic contribution to the electromagnetic running, which is  $\lesssim 10^{-2}$  in our kinematic range. 163 Moreover, it could be enough to get an initial sensitivity to  $\Delta a_{had}(t)$ , which is  $\lesssim 10^{-3}$  in the 164 MUonE kinematic region. Given the limited statistics which could be collected in the Test Run, 165 the effect of  $\Delta a_{had}(t)$  can be modeled as a linear deviation in t on the shape of the differen-166 tial cross section. It can be easily displayed considering the ratio  $R_{had}$  between the observed 167 differential cross section and the theoretical prediction computed assuming only the presence 168 of the leptonic running. It turns out to be 169

$$R_{had} \simeq 1 + 2\Delta \alpha_{had}(t) \tag{3}$$

Figure 6 shows the expectation of  $R_{had}$  obtained using the MUonE NLO Monte Carlo generator. The extraction of  $\Delta \alpha_{had}(t)$  is carried out by means of a template fit method [9]. The resulting

value for the slope of the hadronic running is  $K = 0.137 \pm 0.027$ .

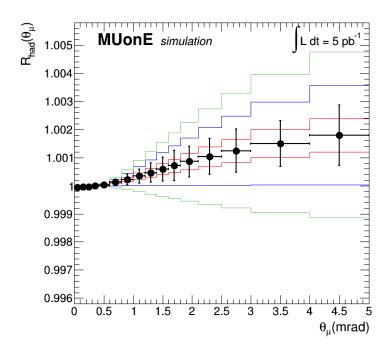


Figure 6: Ratio  $R_{had}$  as a function of the muon scattering angle. The error bars correspond to the statistical uncertainties for an integrated luminosity of 5 pb<sup>-1</sup>. Red, blue and green lines represent templates for different values of the slope of  $\Delta \alpha_{had}(t)$ .

## <sup>173</sup> 4 Conclusions and future plans

At present, the MUonE Collaboration includes collaborators from institutions in China, Greece,

175 Italy, Poland, Russia, Switzerland, UK, USA and at CERN.

An intense activity is ongoing for the preparation of the Test Run, which will be a proof of concept of the overall project. If successful, a full proposal will be prepared including support from the results of the Test Run. A first measurement of  $a_{\mu}^{HLO}$  could be performed in 2023-24 by adding 10 stations to the existing prototype. Preliminary studies show that a running time of 4 months will allow to achieve a ~ 2% statistical accuracy. A Run with the full detector would be then envisaged in the following years.

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